

# Application of a dual-channel solid state spectrometer to measure spectral surface radiation and atmospheric constituents

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# Introduction

- Traditional instruments (Brewers and scanning double monochromators) disadvantages:
  - Cost
  - Susceptibility to movement
  - Speed of operation → limited sampling
- Solid state array instruments can overcome these, but have own drawbacks:
  - Stray light
  - Limited dynamic range
  - Temperature dependence



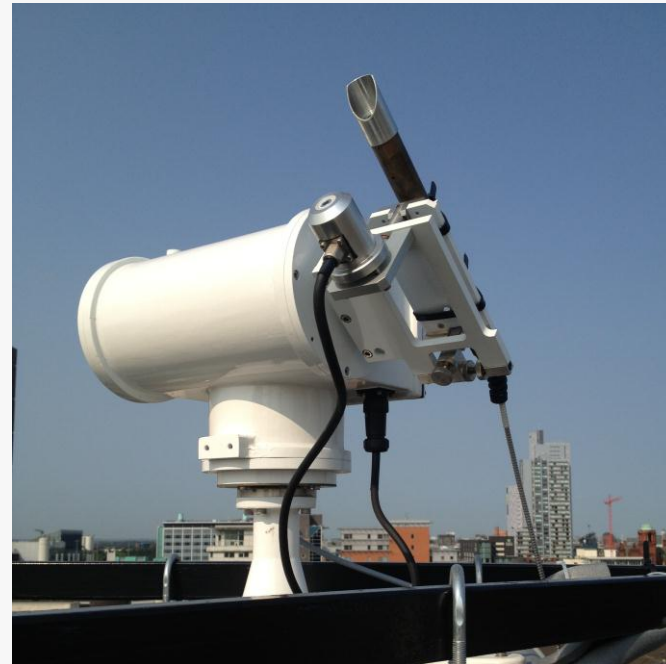
**Aim to account for these issues in an atmospheric monitoring scenario measuring direct and global spectral irradiance, plus ozone**

# Overview

- Instrument description
- Calibration procedure
- Some practical considerations
- DOAS procedure and preliminary results
- Conclusions

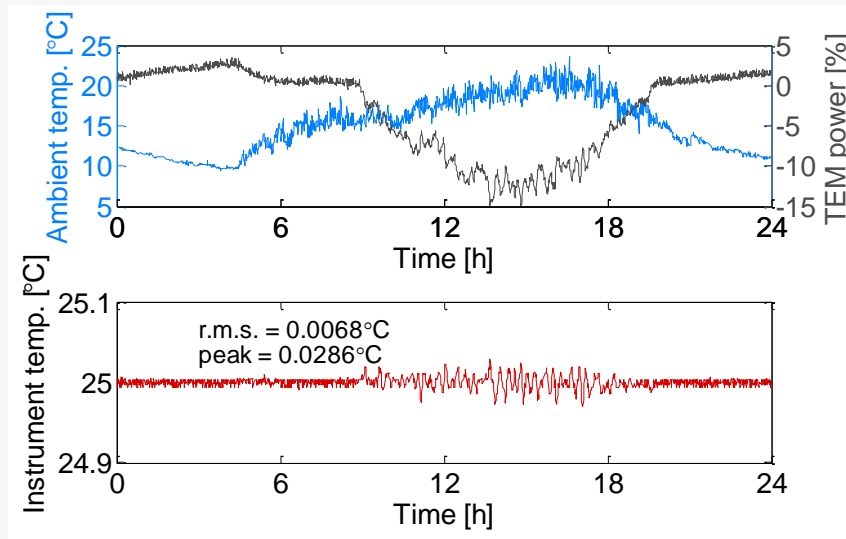
# Instrument description (1)

- Two channel diode array instrument, 512 px, 280 to 700nm, 15-bit
- Common electronics and communications
- Channel A: cosine response, Schreder optics via 5m fibre optic
- Channel B: weatherproofed direct optics, ground quartz disc attenuator



## Instrument description (2)

- Spectroradiometer also requires weatherproofing – and temp stabilisation
- Weatherproofing via Al container and IP66 rated connectors
- Temperature control of entire system by PID controlled air-to-air TEM/Peltier system:  $u(t) = K_p e(t) + K_i \int_0^t e(\tau) d\tau + K_d \frac{d}{dt} e(t)$
- PID constants refined at set-point of 25°C



— Ziegler and Nichols, *Trans ASME* (1942)



# Calibration | Overview

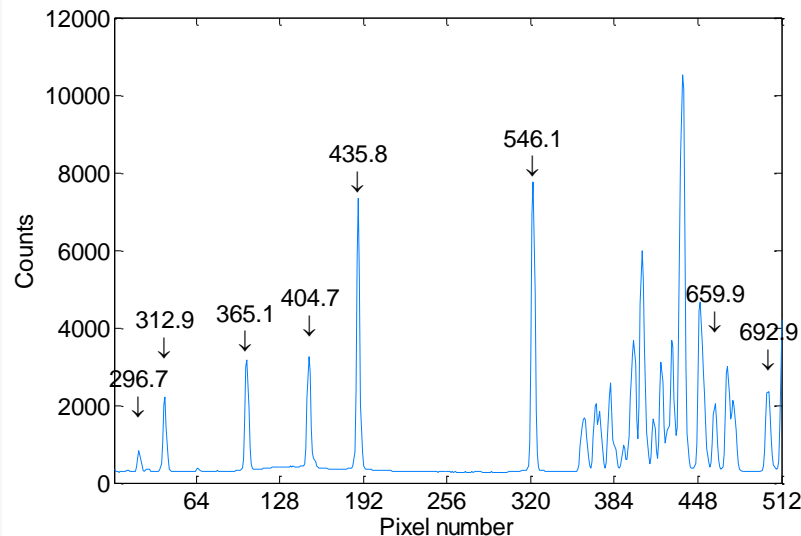
1. Dark subtraction from raw counts
2. Scale to counts/s
- 3. Apply wavelength calibration**
- 4. Remove stray light**
5. Apply absolute calibration (responsivity)  $\rightarrow \text{Wm}^{-2}\text{nm}^{-1}$

# Calibration | Wavelength

- Centroid estimate:  $p_{pk} = \frac{\sum p_i I_i}{\sum I_i}$

— Shortis, Clarke and Short, *SPIE 2350* (1994)

- Measure two emission pencil lamps simultaneously: Hg and Ne
- Additionally use doublets / triplets that fall within FWHM:  $\bar{\lambda} = \frac{\sum \lambda_j I_j}{\sum I_j}$



— NIST Atomic Spectra Database (2012)

- Results in 8 (13) useable emission lines
- Third order polynomial fit with r.m.s. difference of 0.18 nm (0.08 nm)
- Additional improvements via shicRIVM algorithm

# Calibration | Stray light correction (1)

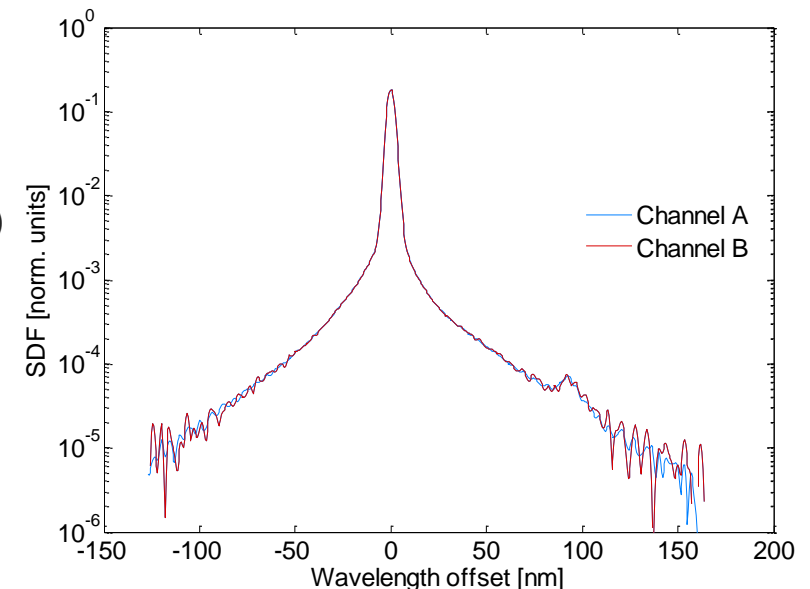
- Characterised by the SDF matrix,  $\mathbf{D}$ , where:

$$\mathbf{Y}_{meas} = [\mathbf{I} + \mathbf{D}]\mathbf{Y}_{IB}$$

- Can be experimentally determined from LSF measured with tuneable laser across wavelength range

- For solar UV applications, can be simplified by measuring 405 nm laser and fitting power law
  - Kreuter and Blumthaler, *Rev. Sci. Instr.* (2009)
- But does not achieve good fit to our data

— Zong et al, *Appl. Opt.* (2006)





## Calibration | Stray light correction (2)

- Ideally want model-based parameterisation for stray light in diffraction grating monochromator:

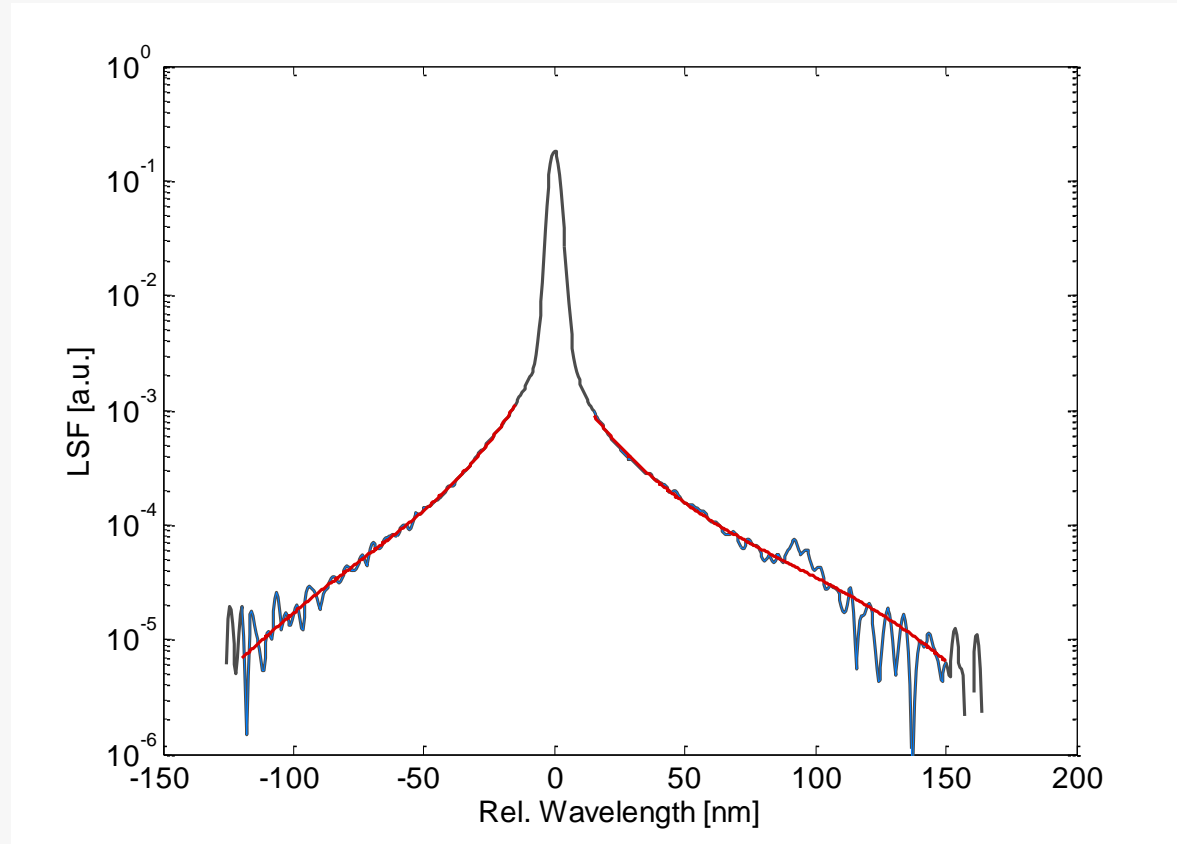
$$\text{LSF}(\lambda, \lambda_M)$$

$$= \frac{\lambda_W}{\text{sinc}^2 \left[ \pi \left( 1 - \frac{\lambda_B}{\lambda_M} \right) \right]} \left\{ \left( 4 - \frac{\lambda^2}{d^2} \right)^2 \left( \frac{a^2 \sigma_r^2 q \pi^3}{df \lambda_M^4} \right) \right. \\ \left. + \frac{\pi^2 \sigma_d^2}{\lambda_M^3} \text{sinc}^2 \left[ \pi \left( \frac{\lambda - \lambda_B}{\lambda_M} \right) \right] \right\} + \frac{1}{\lambda_M N} \cdot \frac{1 + Nb(2\pi\lambda/\lambda_M)^2}{1 - \cos(2\pi\lambda/\lambda_M)} \\ \cdot \text{sinc}^2 \left[ \pi \left( \frac{\lambda - \lambda_B}{\lambda_M} \right) \right]$$

— Sharpe and Irish, *Optica Acta* (1978)

$$\text{LSF}(\lambda, \lambda_M) \approx \alpha_1 \left( \frac{\lambda}{\lambda_M} \right)^4 + \alpha_2 \left( \frac{\lambda}{\lambda_M} \right)^2 + \alpha_3 + \alpha_4 \left( \frac{\lambda}{\lambda_M} \right)^{-2} + \alpha_5 \left( \frac{\lambda}{\lambda_M} \right)^{-4}$$

# Calibration | Stray light correction (3)



- r.m.s. difference =  $5.86 \times 10^{-6}$ ; c.f. r.m.s. for power law fit of  $1.1 \times 10^{-4}$

# Practical considerations

- Choice of integration time during unattended monitoring
  - Would normally take two-stage approach, but more complex in monitoring dual channel system, especially so when different optics have v. different throughputs
  - Due to single data acquisition request to instrument have to choose IT such that neither channel is saturated
  - For changeable conditions and unattended operation, select IT so that never saturated (ETSS):

$$t_{A,B} = \min \left( \frac{C_{\max} c_{A,B}(\lambda)}{I_0(\lambda)} \right)$$

- **Benefit:** can measure quasi-continuously, so little information lost, and averaging on 1 min basis reduces SNR.
- Methodology results in: **NEI of 0.1 mWm<sup>-2</sup>nm<sup>-1</sup>**, data capture of ~16%, c.f. scanning instruments of 0.2%

# DOAS retrieval

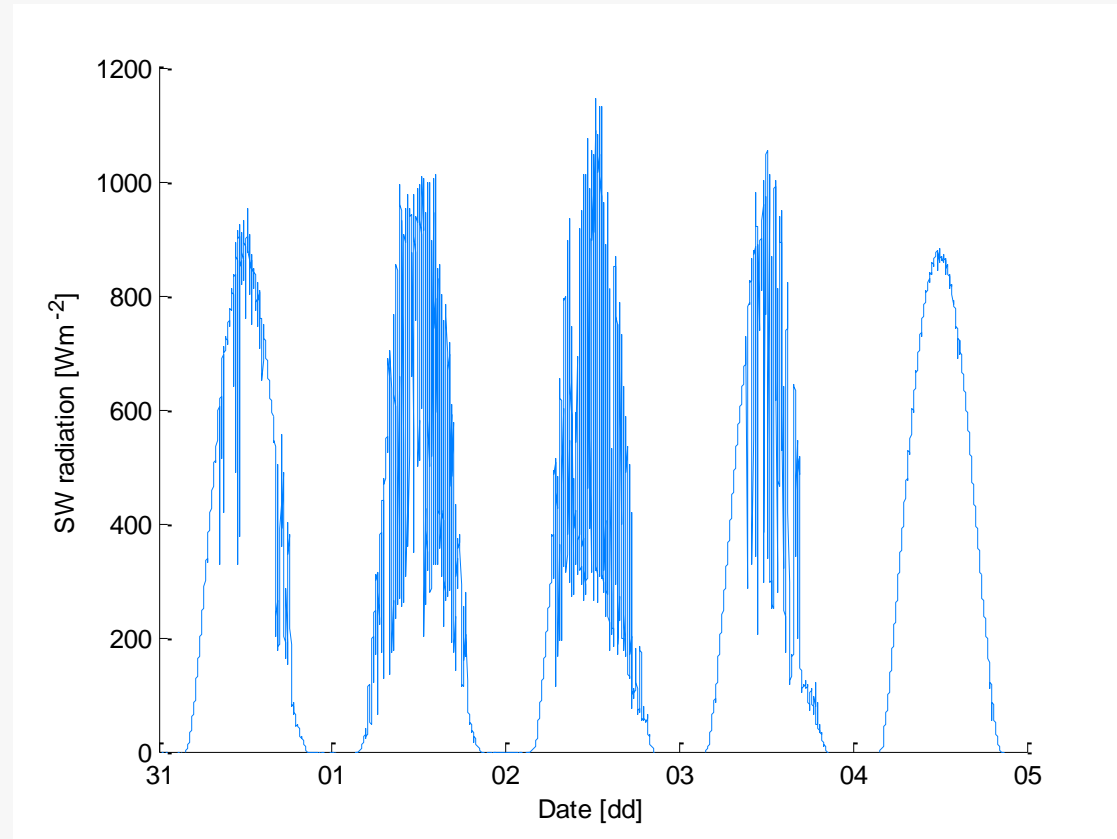
- Beer's law:

$$I(\lambda) = I_0(\lambda) \exp\left(-\alpha(\lambda)X\mu - \beta(\lambda) \frac{p_s}{p_0} m_R - \delta(\lambda) m_a\right)$$

- $I_0$  from ATLAS dataset, convolved with instr. slit fn.
- $\alpha(\lambda)$ , O<sub>3</sub> cross-section, — **Molina and Molina (1996)**
- assume  $\lambda^{-4}$  for Rayleigh scattering
- assume Angstrom relation for aerosol with exponent of 1.3
- multilinear regression to extract total ozone column



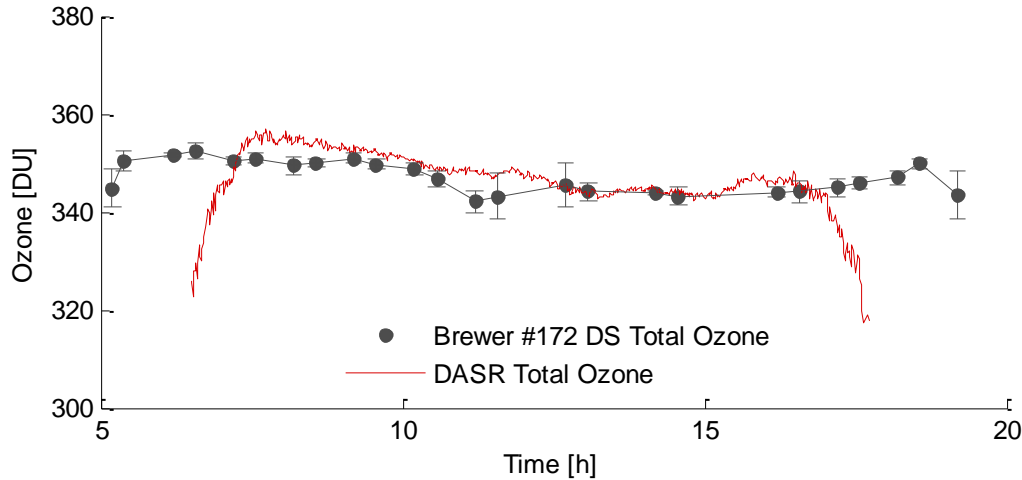
# DOAS preliminary results



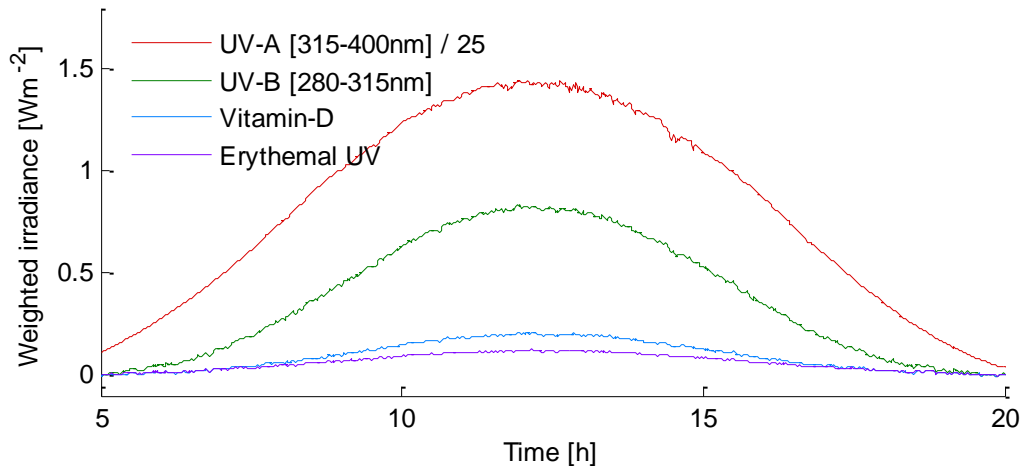
- SW total irradiance from CM5 pyranometer
- Study period: 31 May – 04 June 2013

# DOAS preliminary results

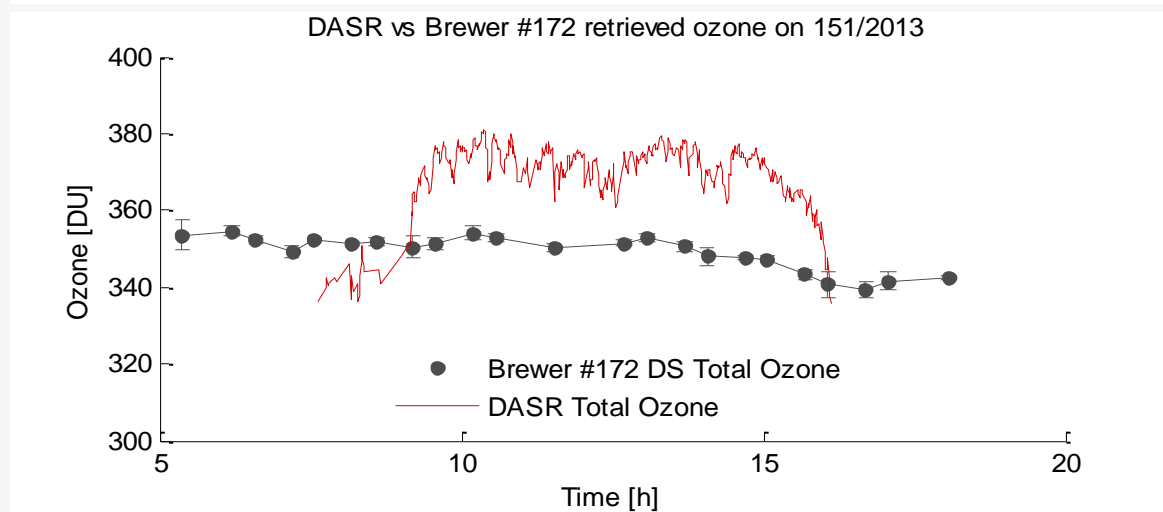
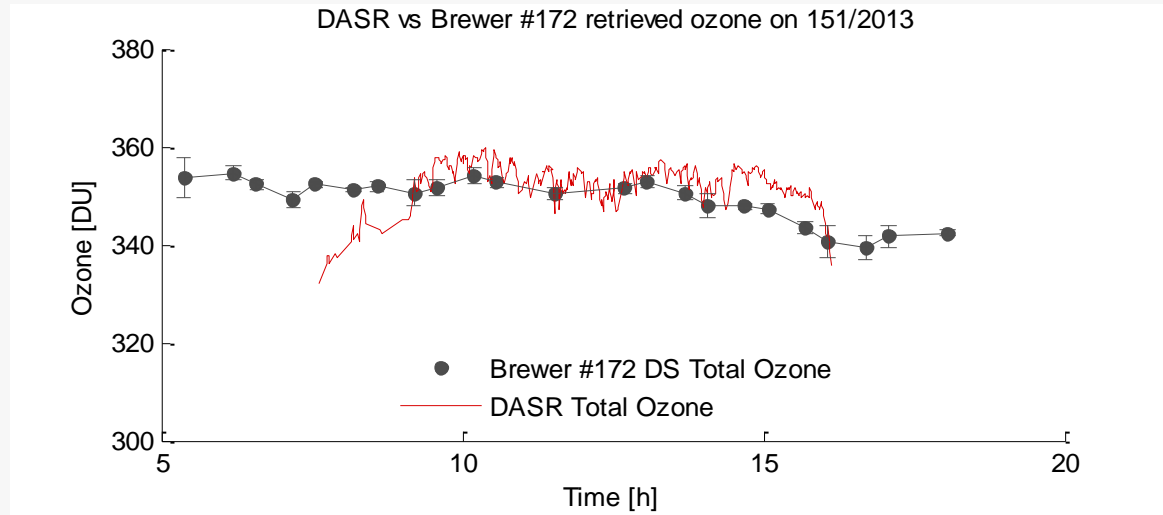
DASR vs Brewer #172 retrieved ozone on 15/5/2013



- r.m.s. diff = 0.83%  
for  $\mu < 3$



# DOAS preliminary results

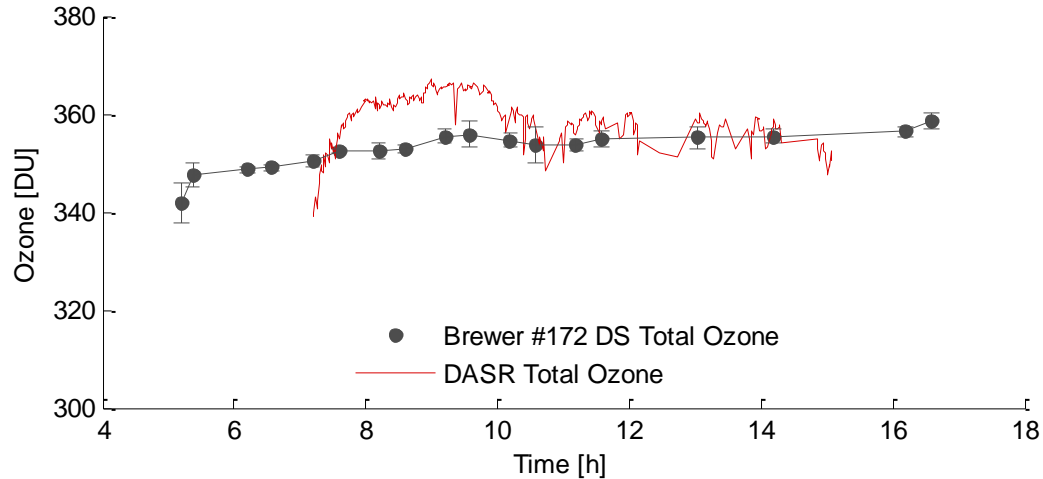


- r.m.s. diff = 1.41%  
for  $\mu < 3$

- r.m.s. diff = 6.00%  
for  $\mu < 3$  when  
lower wavelength  
limit = 306.5nm

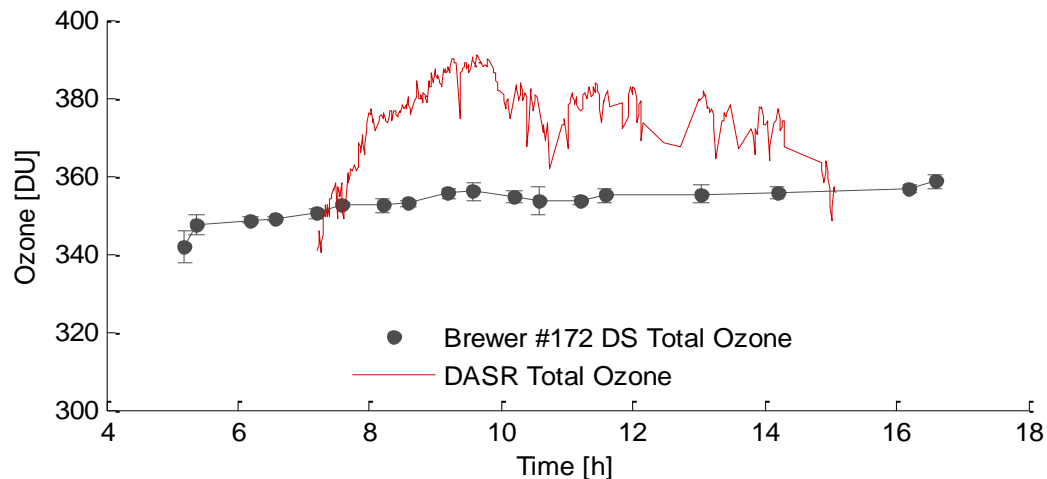
# DOAS preliminary results

DASR vs Brewer #172 retrieved ozone on 15/4/2013



- r.m.s. diff = 1.94%  
for  $\mu < 3$

DASR vs Brewer #172 retrieved ozone on 15/4/2013



- r.m.s. diff = 7.3%  
for  $\mu < 3$  when  
lower wavelength  
limit = 306.5nm



# Summary

- Initial results promising:
  - Two channel diode array spectrometer acquiring simultaneous direct and global spectra every 1 min; now running for several months
  - Retrieved ozone values agree with calibrated Brewer to ~1% for airmasses < 3
  - Fitting LSF with model-based function improves SLC
  - Need to pay close attention to stray light correction and associated issues to extend range of airmass validity
- Future work:
  - Improve regression procedure; extract AOD, other species
  - Analyse / compare new data over longer timescales
  - Improve data filtering for partially cloudy conditions
  - Inv. effect of different ozone cross-sections (Bass and Paur, Serdyuchenko etc)

## Thanks for your attention.

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